<u>Chapter - 14</u> <u>STATISTICS</u>

HANDOUT(Module 4 of 4)

Mode of Group Data

The mode or modal value is that value of the variate which occurs most frequently find the mode of a grouped data, we proceed as follows:

Obtain the grouped data.

Locate the class having maximum frequency. This class is called modal class.

Mode of a grouped data is given by the formula $Mode = I + \left(\frac{f_1 - f_0}{2f_1 - f_0 - f_2}\right) \times h$ where I = lower limit of the modal class $f_1 = \text{frequency of the class preceding the second of the second of the class preceding the second of the second$

Ex-1 The marks distribution of 30 students in a science examination are as follows. Find the mode of this data

O	10	20	36	40	50	56	60	70	72	80	88	92	95
			3										

	Class interval	Number of students	A STATE OF THE STA		
	10–25	2			
	25–40	3	$\longrightarrow f_0$		
	40–55	7	→ Model class —		
	55-70	6	→ f ₂		
	70–85	6	32		
	85–100	6			
	Total	$\Sigma f_i = 30$			
Since is 40–5	the maximum numb	per of students (7) have	got marks in the interval		
So	lov	wer limit of the model c	lass, $l = 40$		
		class s	ize, h = 15		
	fre	equency, f_1 of the model ass preceding the model	class = 7		

Ex-2 Find the mode of the following data

ass	0-20	20-40	40-60	60-80	80-100	100-120	120-140
equency	6	8	10	12	6	5	3

SOLUTION Clearly, the modal class is 60–80, as it has the frequency. $\therefore x_k = 60, h = 20, f_k = 12, f_{k-1} = 10, f_{k+1} = 6.$ Mode, $M_0 = x_k + \left\{ h \times \frac{(f_k - f_{k-1})}{(2f_k - f_{k-1} - f_{k+1})} \right\}$ $= 60 + \left\{ 20 \times \frac{(12 - 10)}{(2 \times 12 - 10 - 6)} \right\}$ $= 60 + \left\{ 20 \times \frac{2}{(2 \times 12 - 10 - 6)} \right\} = 60 + \left\{ 20 \times \frac{2}{9} \right\} = 60$

Ex-3 The distribution of sale of shirts sold in a month in a department store is as under

Size (in cm)	80-85	85-90	90-95	95-100	100-105	105-110	110-:
No of Shirt Sold	33	27	85	155	110	45	15

SOLUTION

Clearly, the modal class is 95–100 as it has the frequency.

$$x_k = 95, h = 5, f_k = 155, f_{k-1} = 85, f_{k+1} = 110.$$

Mode,
$$M_o = x_k + \left\{ h \times \frac{(f_k - f_{k-1})}{(2f_k - f_{k-1} - f_{k+1})} \right\}$$

$$= 95 + \left\{ 5 \times \frac{(155 - 85)}{(2 \times 155 - 85 - 110)} \right\}$$

$$= 95 + \left\{ 5 \times \frac{70}{(310 - 195)} \right\} = 95 + \left\{ 5 \times \frac{70}{115} \right\}$$